What is claimed is:

- 1. A method of generating a reconstructed 2D image of a 3D scan volume f(x,y,z) of an object, for an orientation (θ, ϕ, ϕ) of the 3D scan volume f(x,y,z), the method comprising:
- a. generating 3D scan data representative of the 3D scan volume f(x,y,z) of said object;
- b. computing a 3D Fourier transform F(u,v,w) of the 3D scan volume f(x,y,z), wherein u,v, and w are variables in a three-dimensional frequency domain;
- c. sampling a surface $S(\theta, \phi, \phi, u', v')$ within said 3D Fourier transform F(u,v,w), at angles (θ, ϕ, ϕ) corresponding to said orientation of said 3D scan volume; and
- d. computing the 2D inverse Fourier transform $F^{-1}[S(\theta, \phi, \phi, u', v')]$ of said surface $S(\theta, \phi, \phi, u', v')$.
- 2. A method in accordance with claim 1, wherein the reconstructed 2D image comprises a DRR (digitally reconstructed radiograph).
- 3. A method in accordance with claim 2, wherein F^{-1} [S(θ , ϕ , ϕ , u', v')] is a 2D DRR reconstructed along a projection direction perpendicular to said surface S(θ , ϕ , ϕ , u', v').
- 4. A method in accordance with claim 3,

wherein the projection direction comprises a direction of a cone projection, the cone projection being the projection of a beam originating from a point source, passing through the scan volume, and incident upon a planar 2D surface;

wherein said 2D DRR represents the radiographic image of the scan volume that would be obtained with an imaging beam emitted from a point source disposed at a known position and angle, if said scan volume were positioned in accordance with said 3D scan data; and

wherein the step of sampling said surface $S(\theta, \phi, \phi, u', v')$ within said Fourier transform F(u,v,w) comprises the step of selecting the sampling surface in a way that the sampled surface is part of the surface of a sphere whose center is coincident with said point source.

- 5. A method in accordance with claim 1, wherein said 3D scan data comprise at least one of: CT scan data, PET (positron emission tomography) scan data, MRI (magnetic resonance imaging) scan data, and ultrasound scan data.
- 6. A method in accordance with claim 1, wherein sampling in part c said surface $S(\theta, \phi, \phi, u', v')$ at angles (θ, ϕ, ϕ) comprises selecting a 3D resampling kernel.
- 7. A method in accordance with claim 6, wherein said 3D resampling kernel comprises at least one of: a bi-linear kernel, a tri-linear kernel, and a bi-sinc kernel.
- 8. A method in accordance with claim 1, wherein the step of sampling said surface $S(\theta, \phi, \phi, u', v')$ comprises the step of selecting a sub-volume around an origin for resampling, when sampling said surface $S(\theta, \phi, \phi, u', v')$ in part c.
- 9. A method in accordance with claim 1, further comprising padding said sample surface $S(\theta, \phi, \phi, u', v')$ with zeros, after sampling said surface $S(\theta, \phi, \phi, u', v')$ in part c.
- 10. A method in accordance with claim 1, further comprising applying a convolution filter to said sample surface $S(\theta, \phi, \phi, u', v')$, by multiplying said sample surface with a 2D fast Fourier Transform of said convolution filter.
- 11. A method in accordance with claim 1, wherein said 3D scan volume is characterized by spatial dimensions given by (M*N*P), and wherein said reconstructed 2D image and said sampling surface are characterized

by spatial dimensions given by (M*N).

12. A method in accordance with claim 1, wherein said Fourier transform F(u,v,w) is represented mathematically by:

$$F(u,v,w) = \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} f(x,y,z) e^{-2\pi j(ux+vy+wz)} dx dy dz.$$

- 13. A method of generating a 2D DRR (digitally reconstructed radiograph) of a 3D scan volume f(x,y,z) of an object from 3D scan data representative of said 3D scan volume, for an orientation (θ, ϕ, ϕ) of said 3D scan volume, the method comprising:
- a. generating a 3D data set in frequency space representative of the 3D Fourier transform F(u,v,w) of said 3D scan volume f(x,y,z);
- b. resampling said 3D F(u,v,w) data set along a surface S(θ , ϕ , ϕ , u', v') within said data set, said surface passing through the origin of said 3D data set and being defined by angles (θ , ϕ , ϕ) corresponding to said orientation of said 3D scan volume; and
- c. computing the 2D inverse Fourier transform $F^{-1}[S(\theta, \phi, \phi, u', v')]$ of said surface $S(\theta, \phi, \phi, u', v')$ to generate a DRR along a projection direction perpendicular to said surface $S(\theta, \phi, \phi, u', v')$.
- 14. A method in accordance with claim 13, wherein resampling along said surface $S(\theta, \phi, \phi, u', v')$ comprises assigning, to each pixel along said surface in said 3D data set representative of F(u,v,w), the value of the closest neighboring pixel.
- 15. A method in accordance with claim 13, wherein resampling along said surface $S(\theta, \phi, \phi, u', v')$ comprises:
- selecting a resampling kernel;
- b) for each data point along said surface, multiplying one or more neighboring pixel values with the resampling kernel value at the sample point, and
- c) adding together the multiplied values to form the resampled pixel value.

- 16. A method in accordance with claim 13, wherein said resampling kernel comprises at least one of:
- a. a bi-linear resampling kernel;
- b. a tri-linear resampling kernel;
- c. a sinc resampling kernel; and
- d. a bi-sinc resampling kernel.
- 17. A method in accordance with claim 13, wherein resampling along said surface $S(\theta, \phi, \phi, u', v')$ comprises padding said surface with zeros.
- 18. A method in accordance with claim 13, wherein resampling along said surface $S(\theta, \phi, \phi, u', v')$ comprises multiplying said surface with a 2D Fourier transform of a convolution filter.
- 19. A system for generating a reconstructed 2D image of an object representative of a 3D scan volume f(x,y,z) of the object, for an orientation (θ, ϕ, ϕ) of said 3D scan volume, the system comprising:
- a. a scanner configured to provide 3D scan data representative of said 3D scan volume f(x,y,z);
- b. a controller, including:
 - i. an input module configured to receive said 3D scan data;
- ii. a first processor configured to generate a 3D data set representative of a 3D Fourier transform F(u,v,w) of said 3D scan volume f(x,y,z), where u, v, and w represent variables along three mutually orthogonal coordinate axes in the frequency domain;
- iii. resampling means for resampling said 3D data set along a surface $S(\theta, \phi, \phi, u', v')$, said surface $S(\theta, \phi, \phi, u', v')$ being defined at angles (θ, ϕ, ϕ) corresponding to said orientation of said 3D scan volume; and

- iv. a second processor configured to compute a 2D inverse Fourier transform $F^{-1}[S(\theta, \phi, \phi, u', v')]$ of said surface $S(\theta, \phi, \phi, u', v')$.
- 20. A system in accordance with claim 19, wherein said scanner comprises at least one of: a CT scanner; a PET scanner; an MRI scanner; and an ultrasound scanner.
- 21. A system in accordance with claim 19, wherein said reconstructed 2D image comprises a DRR (digitally reconstructed radiograph).
- 22. A system in accordance with claim 19, wherein said 2D inverse Fourier transform $F^{-1}[S(\theta, \phi, \phi, u', v')]$ is a 2D DRR reconstructed along projection direction that is perpendicular to said surface $S(\theta, \phi, \phi, u', v')$.
- 23. A system in accordance with claim 22,

wherein said projection direction comprises a direction of a cone projection, the cone projection being the projection of a beam originating from a point source and passing through said scan volume and incident upon a planar 2D surface;

wherein said 2D DRR represents the radiographic image of said scan volume that would be obtained with an imaging beam emitted from a point source disposed at a known position and angle, if said scan volume were positioned in accordance with said 3D scan data; and

wherein said means for sampling said surface $S(\theta, \phi, \phi, u', v')$ comprises means for selecting a sampled surface that is part of the surface of a sphere whose center is coincident with said point source.

- 24. A system in accordance with claim 19, wherein said means for resampling said surface $S(\theta, \phi, \phi, u', v')$ comprise means for selecting a 3D resampling kernel.
- 25. A system in accordance with claim 19, wherein said 3D resampling kernel

comprises at least one of: a bi-linear kernel, a tri-linear kernel, and a bi-sinc kernel.

- 26. A system in accordance with claim 19, wherein said means for sampling said surface $S(\theta, \phi, \phi, u', v')$ comprise means for selecting a sub-volume around an origin for resampling.
- 27. A system in accordance with claim 19, wherein said 3D scan volume is characterized by spatial dimensions (M*N*P), and wherein said reconstructed 2D image and said sampling surface are characterized by spatial dimensions (M*N).
- 28. A system in accordance with claim 19, wherein said resampling means comprise:
- a. means for multiplying, for each data point along said surface, one or more neighboring pixel values with the value of a resampling kernel at said data point; and
- b. means for summing said multiplied values to form a resampled pixel value.
- 29. A system for generating a DRR of a 3D scan volume f(x,y,z) of an object, for an orientation (θ, ϕ, ϕ) of said 3D scan volume, from 3D scan data representative of said volume f(x,y,z), the system comprising:
- A. a controller, including:
 - a. an input module configured to receive said 3D scan data;
- b. a first processor configured to compute a 3D data set in frequency space representative of Fourier transform F(u,v,w) of said 3D scan volume f(x,y,z), where u,v, and w represent variables along three mutually orthogonal coordinate axes in the frequency domain;
- c. resampling means for resampling said 3D data set along a surface $S(\theta, \phi, \phi, u', v')$, said surface $S(\theta, \phi, \phi, u', v')$ passing through the origin and being defined at angles (θ, ϕ, ϕ) corresponding to said orientation of said 3D scan volume; and

d. a second processor configured to compute a 2D inverse Fourier transform $F^{\text{-1}}\left[S(\theta,\,\phi,\,\phi,\,u',\,v')\right] \text{ of said surface } S(\theta,\,\phi,\,\phi,\,u',\,v');$

wherein said 2D inverse transform F⁻¹ [S(θ , ϕ , ϕ , u', v')] is a DRR along a projection direction perpendicular to said surface S(θ , ϕ , ϕ , u', v').